3D analysis of the ring current for the 20 April 2002 event using ENA image inversions (IMAGE/HENA) and the curlometer technique (Cluster/FGM data).



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Methodology

Goal: 3D Mapping of a well-developed ring current (20 April 2002) using in-situ and remote-sensing data.

- 1- In-situ: Cluster perigee pass inside the ring current (polar orbit)
- \Rightarrow 4 simultaneous points of measurement of B.
- ⇒ J estimate using Maxwell-Ampere's law (*curlometer technique*).
- Provides the latitudinal evolution of the J vector (all along the Cluster orbit).
- \Rightarrow Local particle flux measurements.
- 2- Remote-sensing: IMAGE-HENA gives a global view of the ENA population issued from charge exchange processes

 \Rightarrow Provides a global picture of the equatorial ring current ions distribution (*inversion algorithm*).

 \Rightarrow Allows an estimate of the kinetic pressure distribution. (under study)

MHD theory

• MHD momentum equation:

$$\rho \frac{d\vec{U}}{dt} = -\nabla \cdot \vec{p} + \vec{J} \times \vec{B}$$

U: flow velocity. P: pressure tensor. J: current density.

Solution in the plane perpendicular to B (static):

$$\vec{J}_{\perp} \approx \frac{\vec{B}}{B^2} \times \left[\nabla_{\perp} p_{\perp} + \frac{(p_{//} - p_{\perp})}{B^2} \left[\left(\vec{B} \cdot \nabla \right) \cdot \vec{B} \right] \right]$$

Current due to Pressure gradients Current due to the B curvature and anisotropy

In situ Cluster data:

the curlometer technique

Curlometer technique

1- In situ Cluster data

Maxwell-Ampère's law: $(\nabla \times B)_x = \frac{\Delta Bz}{\Delta y}$ ΔBy Δz Ring current $\left(\nabla \times B\right) y = \frac{\Delta B x}{\Delta z}$ $\nabla \times B = \mu_0 \cdot J$ ΔBz Δx $(\nabla \times B)z = \frac{\Delta By}{\Delta x}$ ΔBx Δy во $\mu_0 \vec{J}_{average} \ (\Delta \vec{r}_i \times \Delta \vec{r}_j) = \Delta \vec{B}_i \cdot \Delta \vec{r}_j - \Delta \vec{B}_j \cdot \Delta \vec{r}_i$

⇒ Curlometer technique: Local current density estimate (strength and orientation) deduced from the 4 SC magnetic field data.

1- In situ Cluster data Curlometer technique limitations

- Tetrahedron size and shape (elongation and planarity of the tetrahedron).
- Linear interpolations (truncations errors and reference spacecraft).
- Accuracy of the magnetic field measurement (gain and offset).

Perigee passes of Cluster (ring current crossing) with a 100 km separation strategy (20 April 2002 event) :

 \Rightarrow Most of the error carried by Jz (up to 20%).

 \Rightarrow Good estimation of Jx and Jy (accuracy of about 2% - 5%).

[Vallat et al., Ann. Geophysicae, 2005]



1- In situ Cluster data

20 April 2002 (2)



• Negative and constant **Jz** component all along the ring current traversal

• The largest component of J is azimuthal: $\langle J\phi \rangle \sim -25 \pm 20\%$ nA/m² (westward current)

• $\mathbf{J} \times \mathbf{B} \propto \nabla \mathbf{P}$ (gives the position w.r.t the maximum pressure):

=> P_{max} situated dawnward (towards the tail axis) and slightly Earthward of the spacecraft location.

• Ring current is not fully azimuthal during disturbed periods:

 \Rightarrow Existence of a small parallel component near the Equator.

(Seasonal effects due to the different ionospheric conductivities of the two hemispheres?)

IMAGE ENA imaging:

2

the image inversion technique



Energetic neutral atoms have the same direction and the same energy as the incoming ion.

=> ENA bring crucial information concerning the ring current ions.

2- IMAGE-HENA imaging

Inversion method

1_ Number of counts received by the neutral imager (HENA)

2_ Neutral intensity

1 + 2: Linear inversion method. Solution can be written as : $C_{i} = \int_{0}^{\infty} \int_{0}^{2\pi\pi} \int_{0}^{2\pi\pi} \sin \varepsilon A_{i}(\varepsilon, \beta, E, t) j_{ena} d\varepsilon d\beta dE dt$

$$i_{ena} = \int_{0}^{Se} n^{H}(s) \sigma_{H}^{10}(E) j_{ion}(s, E) ds + j_{ena}^{e}(s_{e})$$

$$J_{ion} = (K^{T} \sigma_{C}^{-2} K + \gamma H)^{-1} K^{T} \sigma_{C}^{-2} C$$

[DeMajistre et al., JGR, 2004]

⇒ Using ENA imaging, we can access to the equatorial distribution of the parents ions (i.e. the current carriers) for the energy range considered.

2- IMAGE-HENA imaging

20 April 2002 (2)





• Quantitatively: consistent results (factor of ~ 1.3) between insitu and ENA image inversion data (*H+, 27<E<39 keV*):

> CIS: $f_i \approx 1.78 \times 10^5$ (cm² sr s keV) ⁻¹. HENA inversions: $f_i \approx 2.43 \times 10^5$ (cm² sr s keV) ⁻¹.

• Morphology of the ring current (position of Cluster w.r.t the ring current bulk) is well reproduced by the image inversion [*Vallat et al.*, JGR, 2004].

The curlometer technique:

Conclusions...

* Latitudinal evolution of the J orientation :

• Filamentation of the current density components in the plasma sheet.

 \Rightarrow Consequence of non-linear gradients due to the small size of the current layers (< tetrahedron size).

· Shows the existence of a small parallel component near the Equator.

 \Rightarrow Seasonal effects due to the different ionospheric conductivity between the two hemispheres?

* Position of the maximum pressure is situated dawnward and Earthward of the spacecraft location for the event studied.

The energetic neutral atom image inversion:

* Position of the maximum pressure is situated dawnward (towards the tail axis) of the spacecraft location.

 \Rightarrow Consistent with the curlometer results.

* Possibility to calculate equatorial currents from the pressure distribution (under study).