

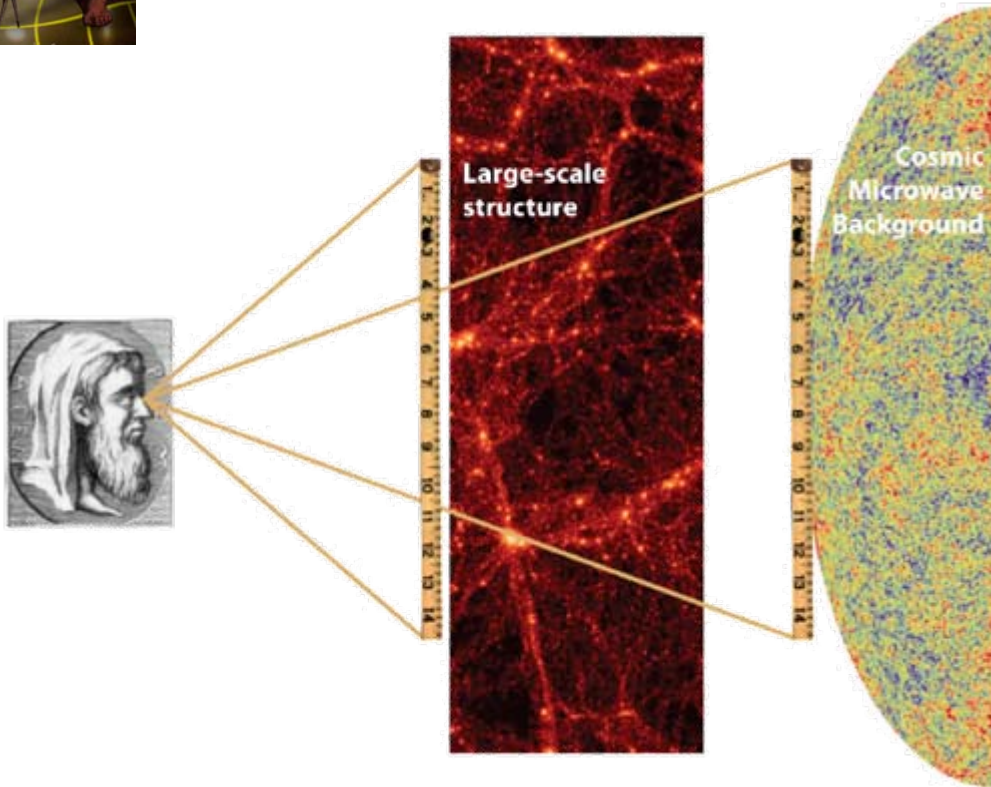


**Geometrical constraints from galaxy clustering
measurements based on Euclid spectroscopy**

Will Percival (on behalf of the Euclid team)
work by the Euclid Cosmology Working Group



Galaxy clustering gives cosmological standard ruler



BAO scale measurements ($\Delta\theta$, Δz) linked to physical scale predicted by theory (Δd):

Radial direction

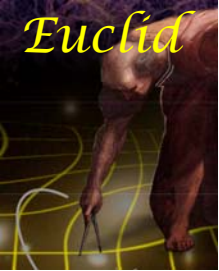
$$\frac{c}{H(z)} \Delta z$$

Angular direction

$$(1 + z) D_A \Delta\theta$$

Can use full galaxy clustering signal rather than just BAO as standard ruler
Requires accurate modeling of evolution of galaxy bias

Hu & Haiman 2003; PRD, 68, 3004
Blake & Glazebrook 2003; ApJ 594, 665
Seo & Eisenstein 2003; ApJ 598, 720



Current large-scale galaxy clustering measurements

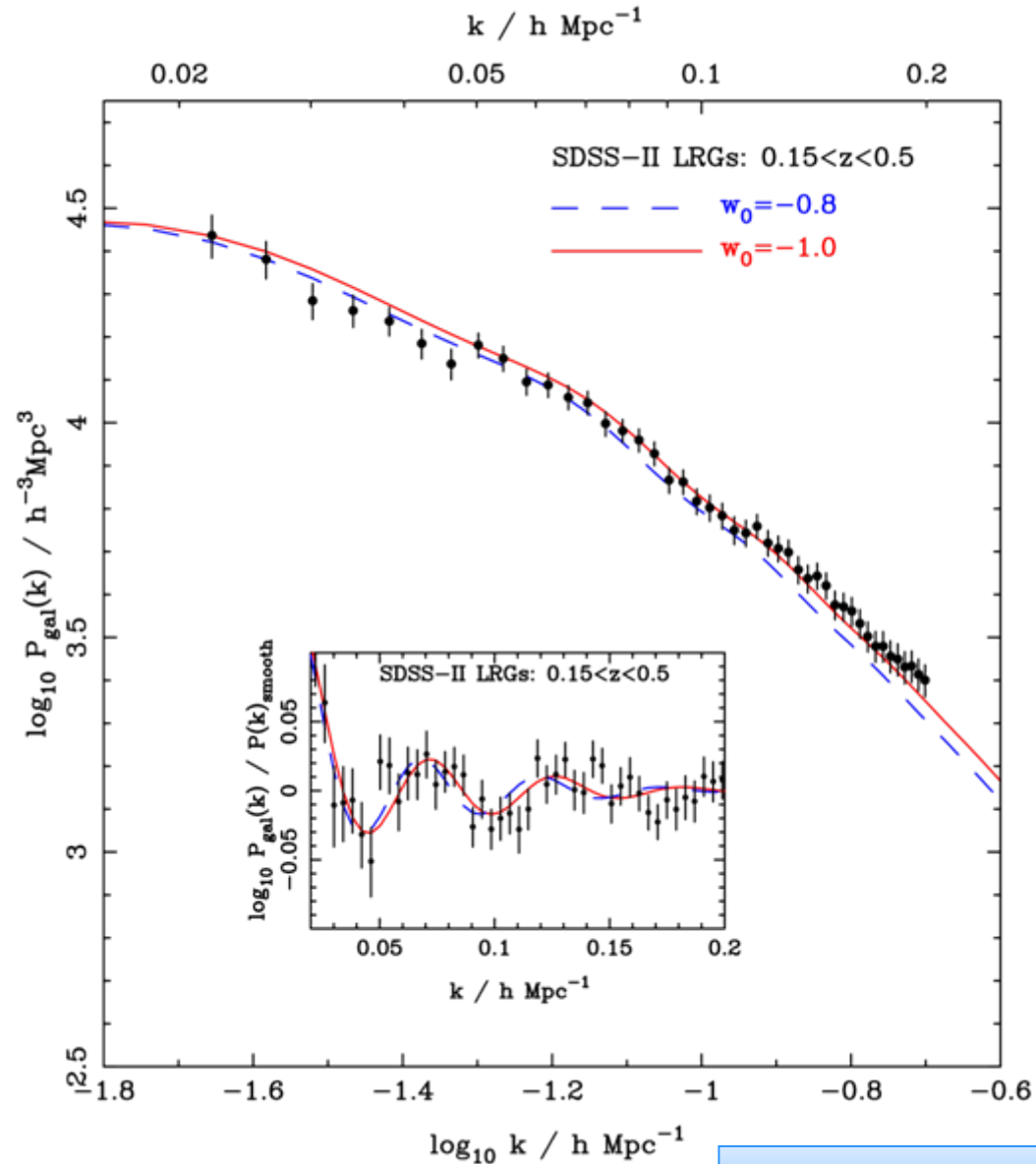
SDSS LRGs at $z \sim 0.35$

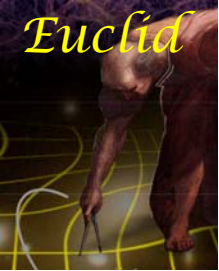
The largest volume of the Universe currently mapped

Total effective volume

$$V_{\text{eff}} = 0.26 \text{ Gpc}^3 h^{-3}$$

Power spectrum gives amplitude of Fourier modes, quantifying clustering strength on different scales

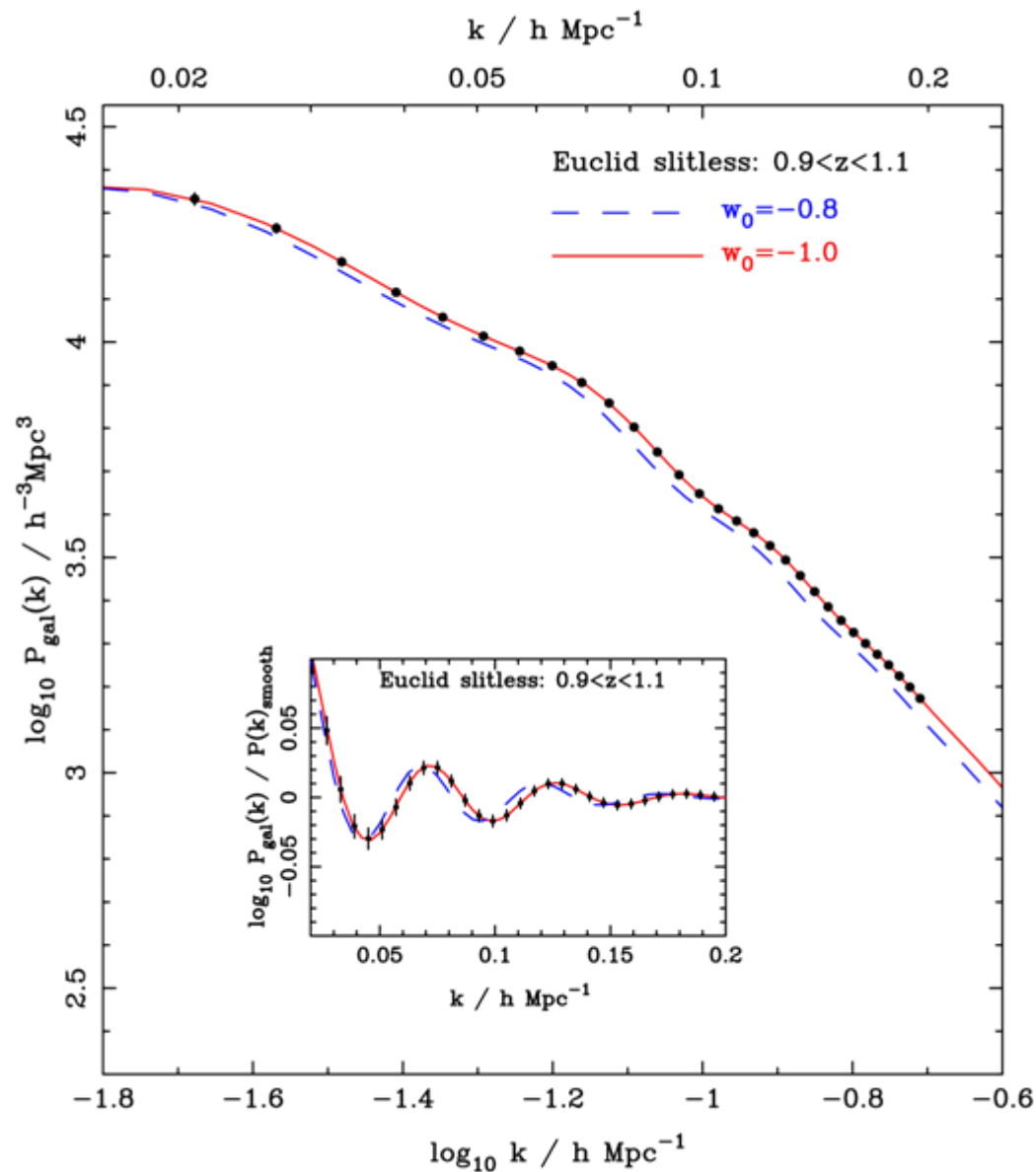




Predicted galaxy clustering measurements by Euclid

20% of the Euclid data, assuming the slitless baseline at $z \sim 1$

Total effective volume (of Euclid)
 $V_{\text{eff}} = 19.7 \text{ Gpc}^3 h^{-3}$





Making predictions for Euclid

Fisher matrix allows us to translate between

- expected errors on power spectrum (easily estimated)
- errors on cosmological parameters (showing how good Euclid will be)

$$F_{ij} \equiv \left\langle \frac{\partial^2 \mathcal{L}}{\partial \theta_i \partial \theta_j} \right\rangle$$



Sir Ronald Aylmer Fisher
(1890-1962)

For a galaxy survey we have that

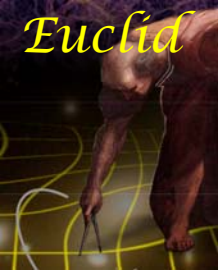
$$F_{ij} = \frac{1}{2} \int \frac{d^3k}{(2\pi)^3} \left(\frac{\partial \ln P}{\partial \theta_i} \right) \left(\frac{\partial \ln P}{\partial \theta_j} \right) V_{\text{eff}}(\mathbf{k})$$

$$V_{\text{eff}}(k) \equiv \int \left[\frac{\bar{n}(\mathbf{r})P(k)}{1 + \bar{n}(\mathbf{r})P(k)} \right]^2 d^3r$$

Tegmark (1997; PRL, 79, 3806)

DETF Figure-of-merit is area of 1σ confidence region for 2-parameter DE model, with equation of state:

$$\begin{aligned} w(z) &= w_0 + (1 - a)w_a \\ &= w_p + w_a(a_p - a) \end{aligned}$$



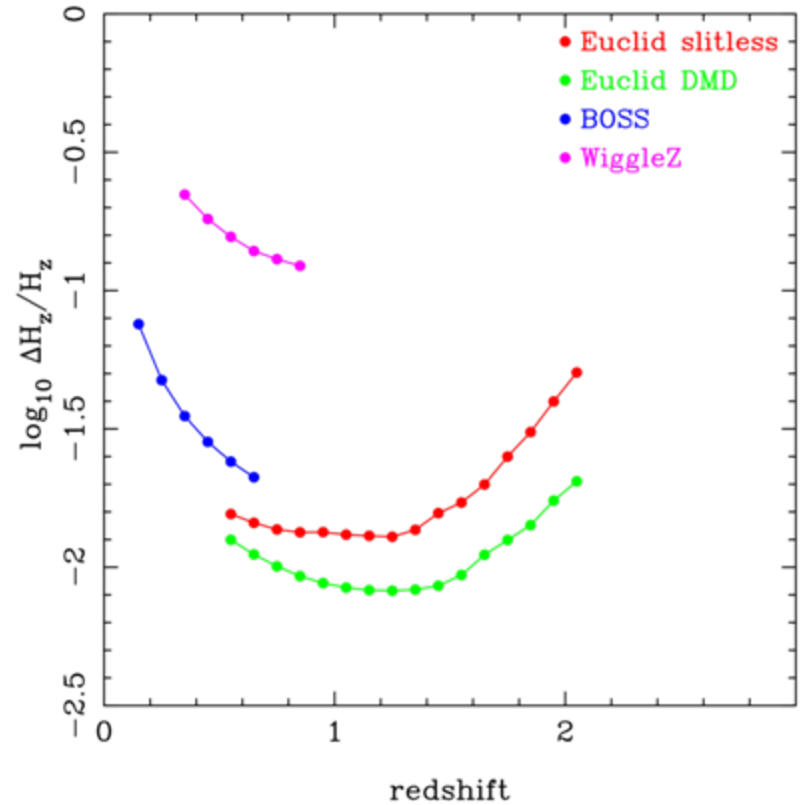
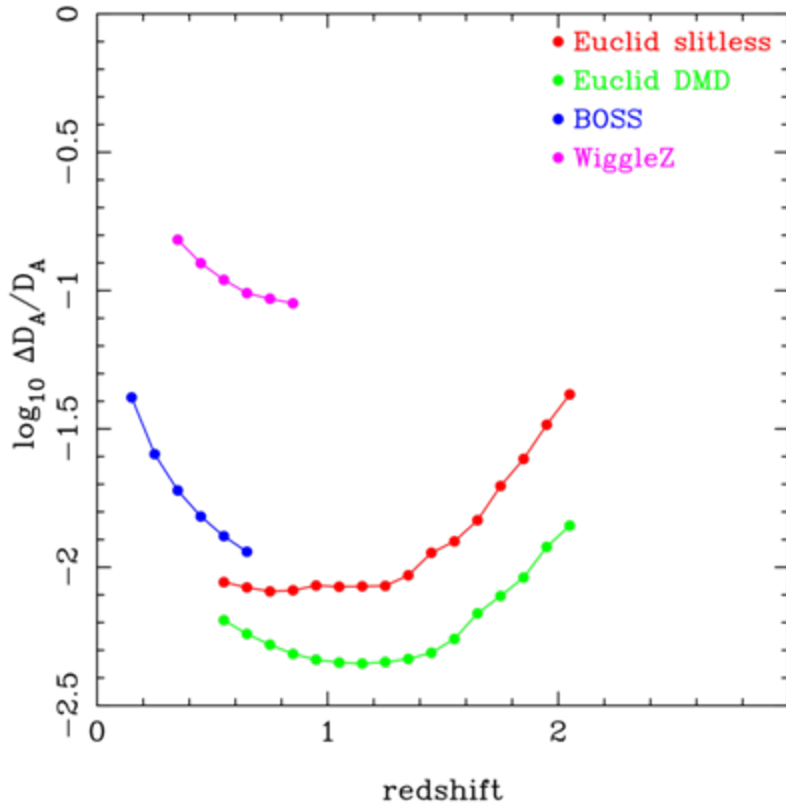
Euclid BAO & P(k) Figures of Merit

	SDSS-II LRGs	BOSS BAO	Slitless BAO	Slitless P(k)	DMD BAO	DMD P(k)
N(galaxies)	1×10^5	1.5×10^6	6.1×10^7		2.1×10^8	
$V_{\text{eff}} / h^{-3} \text{ Gpc}^3$	0.26	2.4	19		50	
redshift	$0 < z < 0.5$	$0 < z < 0.7$	$0.5 < z < 2.1$		$0.0 < z < 2.1$	
epsilon	1	1	0.5		0.35	
Sky area / deg²	8000	10000	20000		20000	
Redshift error	0.001	0.001	0.001		0.001	
FoM	negligible	0.2	11	43	49	79
FoM (+Planck)	negligible	8	136	314	467	511
FoM (+Planck+BOSS)			183			

Slitless baseline: 50% of galaxies with $F > 4 \times 10^{-26} \text{ erg cm}^{-1} \text{ s}^{-2}$
DMD baseline: 35% of galaxies selected to $H < 22.0$



Euclid compared with on-going surveys

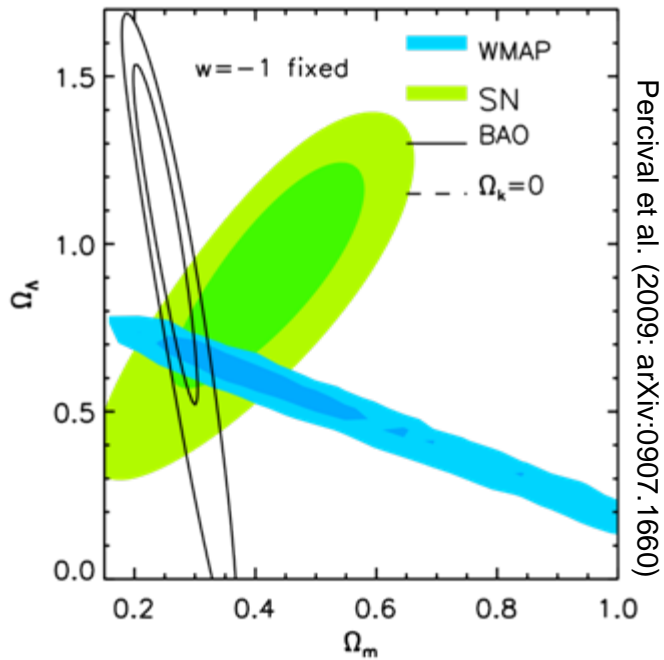


Euclid gives an order-of-magnitude improvement over constraints from ongoing surveys

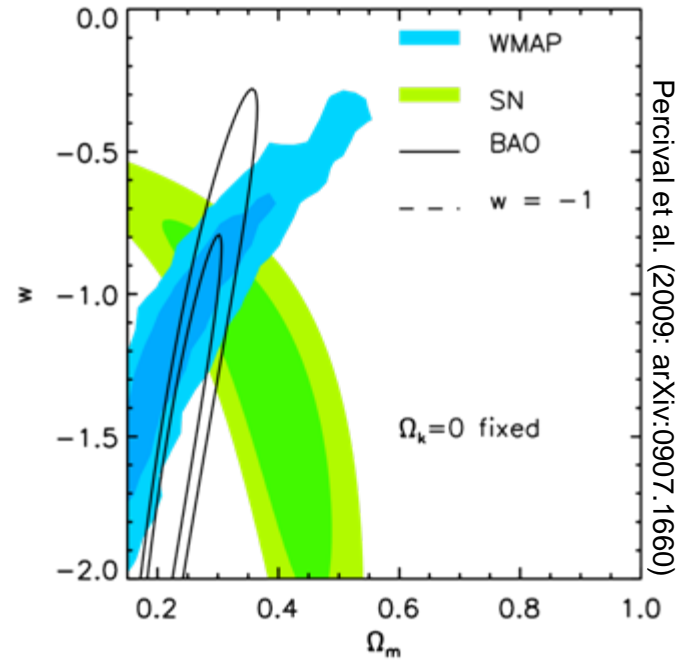


Current BAO constraints vs other data

Λ CDM models with curvature



flat w CDM models

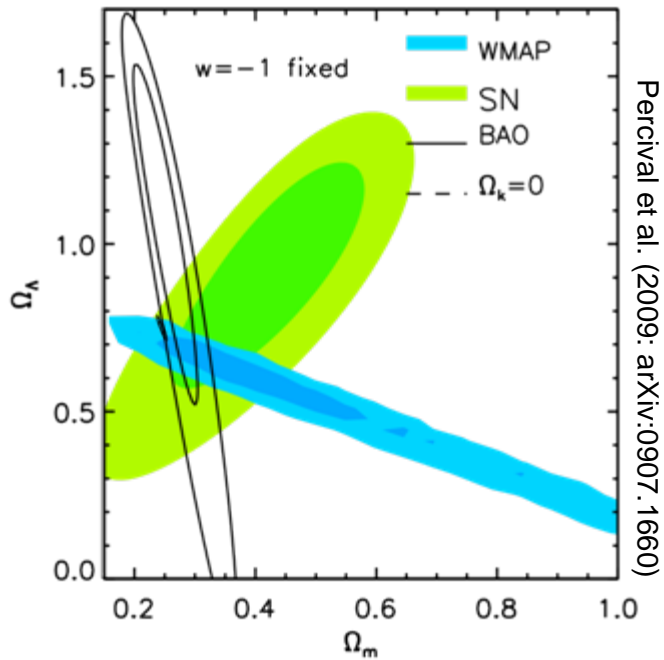


- Union supernovae
- WMAP 5year
- SDSS-II BAO Constraint on $r_s(z_d)/D_V(0.2)$ & $r_s(z_d)/D_V(0.35)$

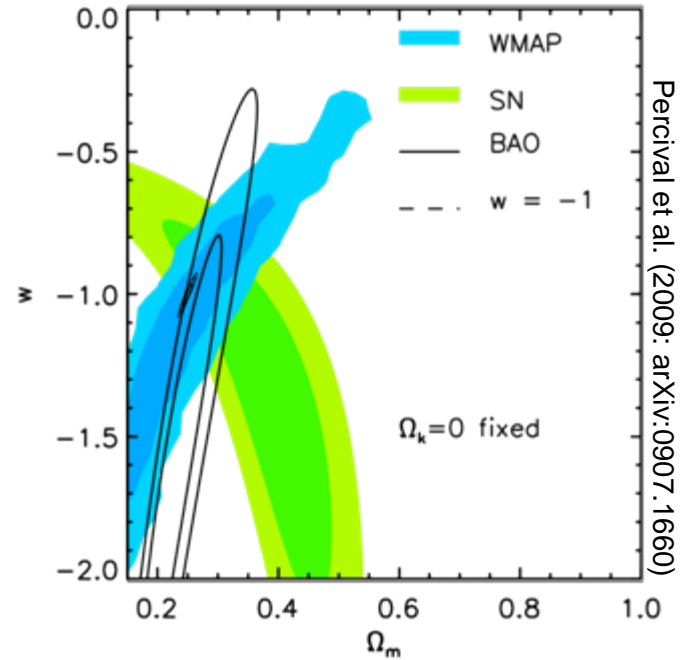


How does Euclid BAO compare?

Λ CDM models with curvature



flat w CDM models



- Union supernovae
- WMAP 5year
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The power of Euclid: Summary

- Map of the Universe 75 times larger than available currently
- Homogeneous sampling of galaxies
- Will provide tight dark energy constraints
 - BAO constraints have very low levels of systematics
 - $P(k)$ constraints are tighter, but require bias modeling
- Get complementary constraints from redshift-space distortions (see talk by Guzzo later)
- Enhanced dark energy measurement precision with slit spectra (using DMD)